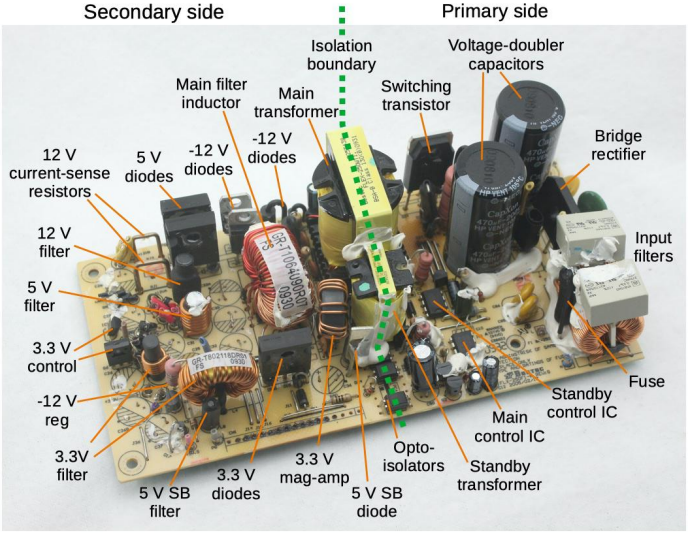
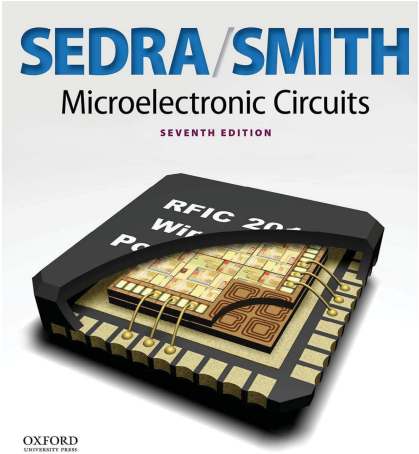


Characteristics of Junction Diodes

Kizito NKURIKIYEYEZU, Ph.D.

Readings

- Section 4.2 on pages 184-190
- Example 4.3 on page 187



[1] Readings are based on Sedra & Smith (2014), Microelectronic Circuits 7th edition.
[2] Bold reading section are mandatory. Other sections are suggested but not required readings

Background

- Diodes are commonly based on pn junction technology[1]
- As shown in Fig. 1, the characteristic curve consists of three distinct regions:
  - The forward-bias region when $v > 0$
  - The reverse-bias region when $v < 0$
  - The breakdown region $v < V_{ZK}$ (i.e., $v \ll 0$)

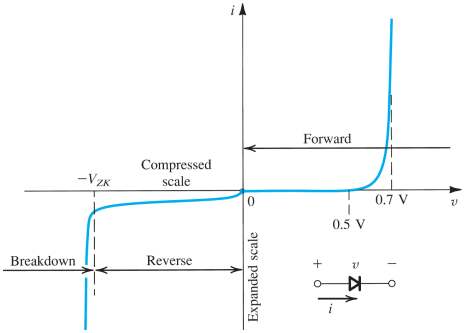


FIG 1. A detailed $i - v$ characteristic of a silicon junction diode.

[1] In-depth knowledge on the structure and operation of the pn junction—which is a basic semiconductor structure that implements the diode and plays a dominant role in transistors—has been covered in your previous courses and is covered in details in chapter 3 of the textbook.

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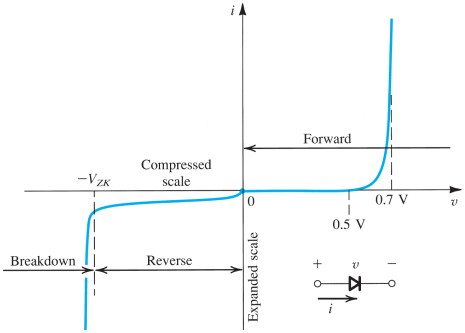

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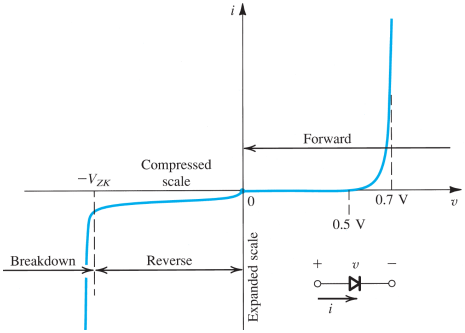

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The forward bias region

The forward bias region

- The i–v relationship is closely approximated by Equation (1)

$$i = I_s \left(e^{v/V_T} - 1 \right) \tag{1}$$

where:

I_s is the saturation current (also called the scale current), $I_s \approx 10^{-15} A$[1]

V_T is the thermal voltage, $V_T = k \cdot T/q = 0.0862T \approx 25mV$ at $T = 25\,^{\circ}\mathrm{C}$

k is the Boltzmann's constant, $k = 8.62 \times 10^{-5} eV/K = 1.38 \times 10^{-23} joules/kelvin$

T is the absolute temperature in Kelvins

q is the magnitude of electronic charge, $q = 1.6 \times 10^{-19}$ coulomb

- In the forward region, since $i \gg I_S$, Equation (1) can be simplified as

$$i \approx I_s \cdot e^{v/V_T} \tag{2}$$

- Equation (2) can be expressed alternatively in the logarithmic form as

$$v = V_T \cdot ln\left(i/I_s\right) \tag{3}$$

[1] In practice the value of I_s is not a constant. It varies and is influenced by the temperature

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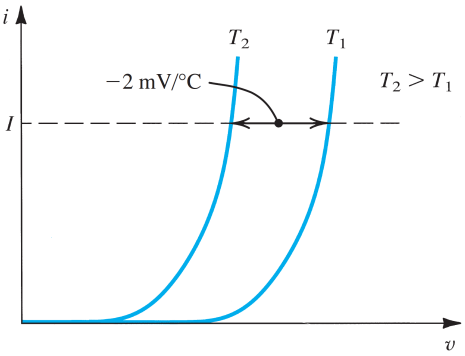
The forward bias region

- I_s is not a constant and varies with temperature. As a rule of thumb, I_s doubles in value for every 5 °C rise in temperature.
- Since both I_s and V_T are functions of temperature, the forward i–v characteristic varies (as shown in Fig. 2)
- At a given constant diode current, the voltage drop across the diode decreases by approximately 2 mV for every 1 °C increase in temperature.
- The change in diode voltage with temperature has been exploited in the design of electronic thermometers.



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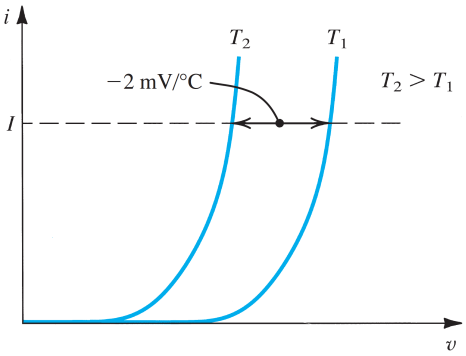

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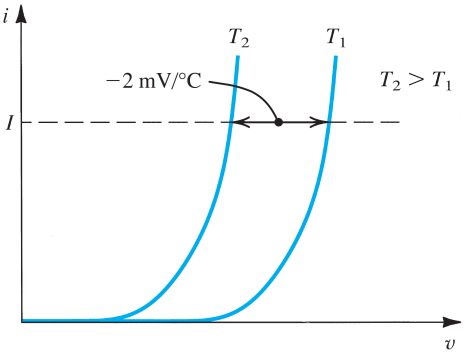

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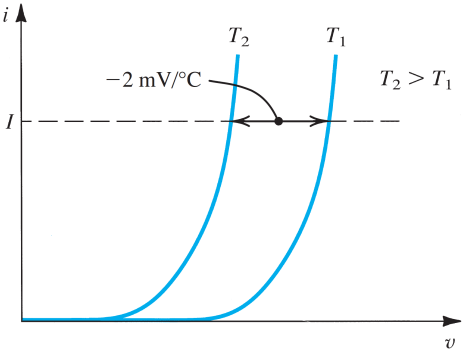

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Effect of current flow

The current i has a very small effect on the forward biasing voltage, v

- Consider two currents I_1 and I_2 shown in

$$I_1 = I_s \cdot e^{V_1/V_T} \tag{4}$$

$$I_2 = I_s \cdot e^{V_2/V_T} \tag{5}$$

- Dividing Equation (5) with Equation (4) gives

$$\frac{I_2}{I_1} = \frac{I_s \cdot e^{V_2/V_T}}{I_s \cdot e^{V_1/V_T}} = e^{(V_2 - V_1)/V_T} \tag{6}$$

- Equation (6) can be re-written as

$$V_2 - V_1 = V_T \cdot ln\left(I_2/I_1\right) \tag{7}$$

- Equation (7) can be written in term of base 10 logarithms as

$$V_2 - V_1 = 2.3 V_T log_{10} I_2/I_1 \tag{8}$$

Effect of current flow

From equation Equation (8), one can conclude that:

- If $I_2 = 10I_1$, the diode voltage drop changes by only $V_D = 2.3V_T \approx 60mV$
- If $I_2 = 100I_1$, the diode voltage drop changes by only $V_D = 2.3V_T \approx 115mV$
- In short, the change in current has a very small impact on the voltage v
- The i-v relationship is best plotted on a semilog graph, with a vertical linear axis for v and a horizontal logarithmic axis for i. The resulting graph would be a straight line with a slope of 60mv per decade of current
- An i–v characteristic in the forward region (Fig. 1) shows that the current is negligibly small for $v < 0.5V$. This value is called the cut-in voltage.
- Cut-in voltage is voltage, below which, minimal current flows, and is approximately equal to 0.5V
- Fully conducting region is region in which the resistor of the diode $R_D \approx 0$ and lies between 0.6V and 0.8V
- These observations allow to assume that a conducting diode has approximately a voltage drop $V_D \approx 0.7V$ across it.

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The Reverse-bias region

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- The reverse-bias region of operation is entered when $v < 0$.
- The *i-v* relationship, for negative voltages with |v| > VT (25mV), is approximated by Equation (9)

$$\begin{aligned} i &= -I_s \cdot e^{-|v|/V_T} \\ &= -I_s \left(\frac{1}{e^{|v|/V_T}} \right) \end{aligned} \tag{9}$$

- When $v \gg V_T$, the exponential term becomes negligibly small compared to unity, and the diode current becomes

$$i \approx -I_s \tag{10}$$

- Real diodes have reverse currents that, though quite small, are much larger than I_s. For instance, a small-signal diode whose I_s is on the order of $10^{-14}A$ to $10^{-15}A$ could show a reverse current on the order of $10^{-9}A$.
- A large part of this reverse current is attributed to leakage effects.

The Breakdown Region

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- The breakdown region of operation is entered when $v < V_{ZK}$
- The constant V_{ZK} is called Zener-Knee voltage, where the subscript Z stands for zener and K denotes knee.
- In the breakdown region, the reverse current increases rapidly while the associated increase in voltage drop being very small
- Diode breakdown is not destructive, provided the power dissipated in the diode is limited by external circuitry to a “safe” level.

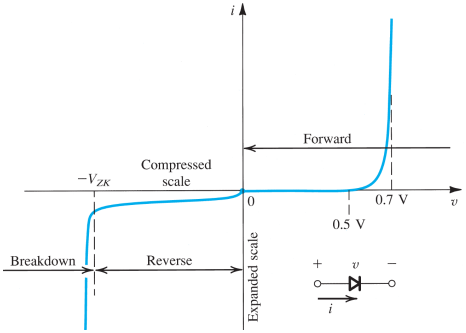

FIG 3. A detailed $i - v$ characteristic of a silicon junction diode.

The Breakdown Region

- The breakdown region of operation is entered when $v < V_{ZK}$
- The constant V_{ZK} is called Zener-Knee voltage, where the subscript Z stands for zener and K denotes knee.
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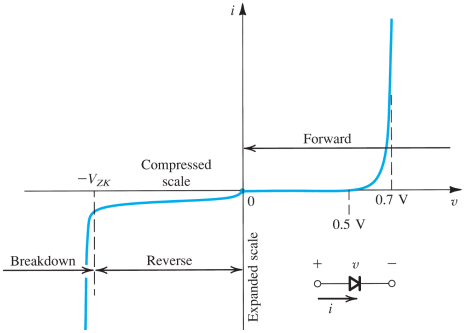

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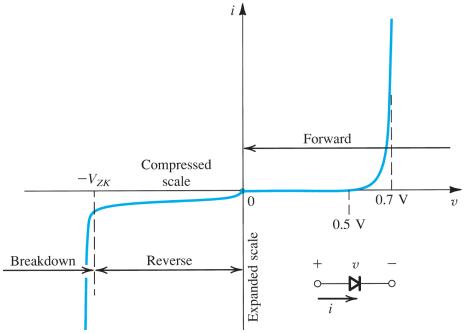

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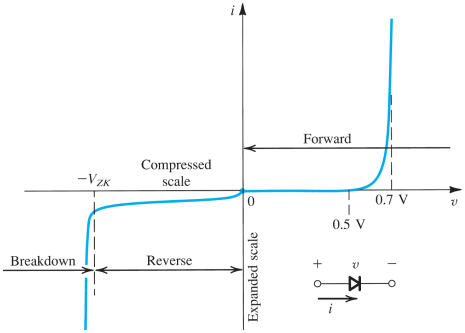

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Summary

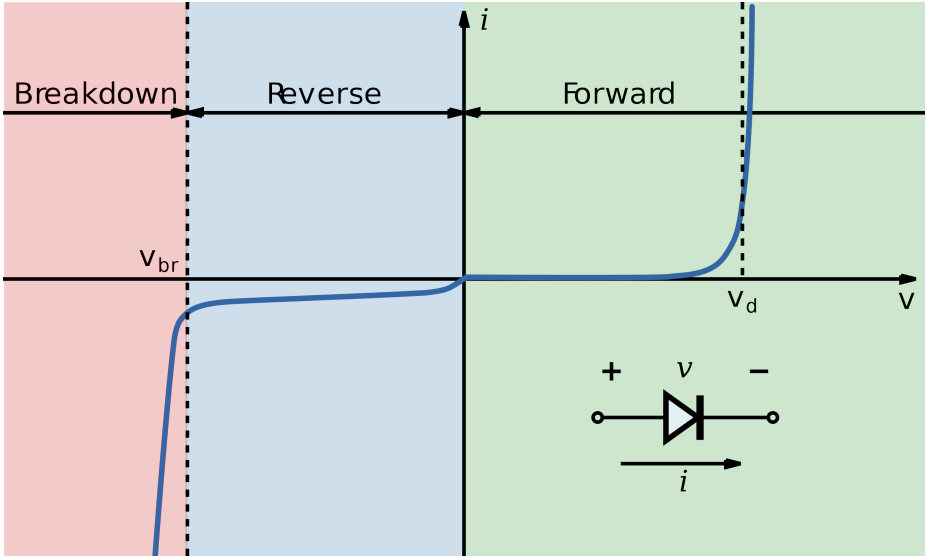

FIG 4. I–V characteristics of a p–n junction diode

The end